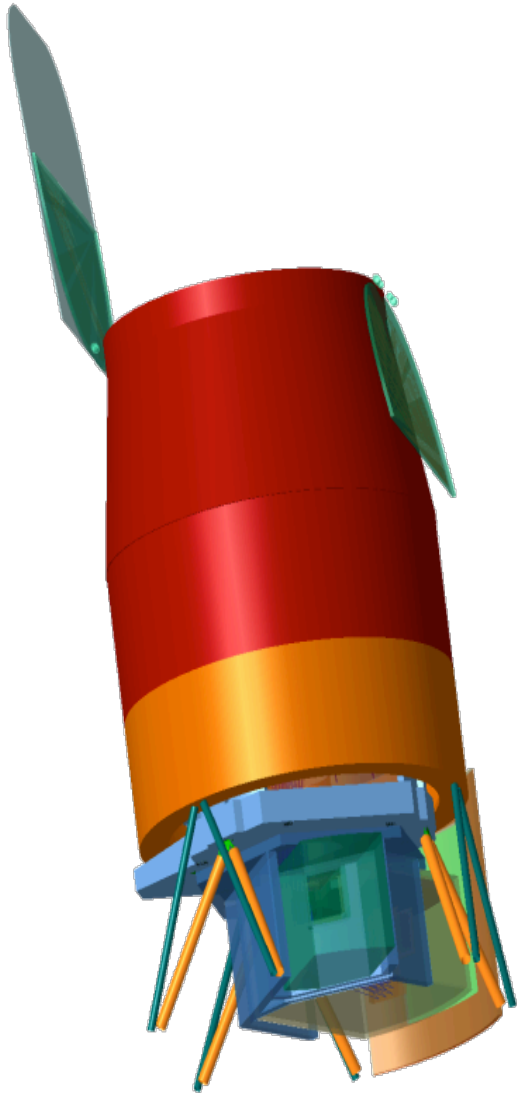


# High Precision Photometry+Astrometry for Microlensing from Space

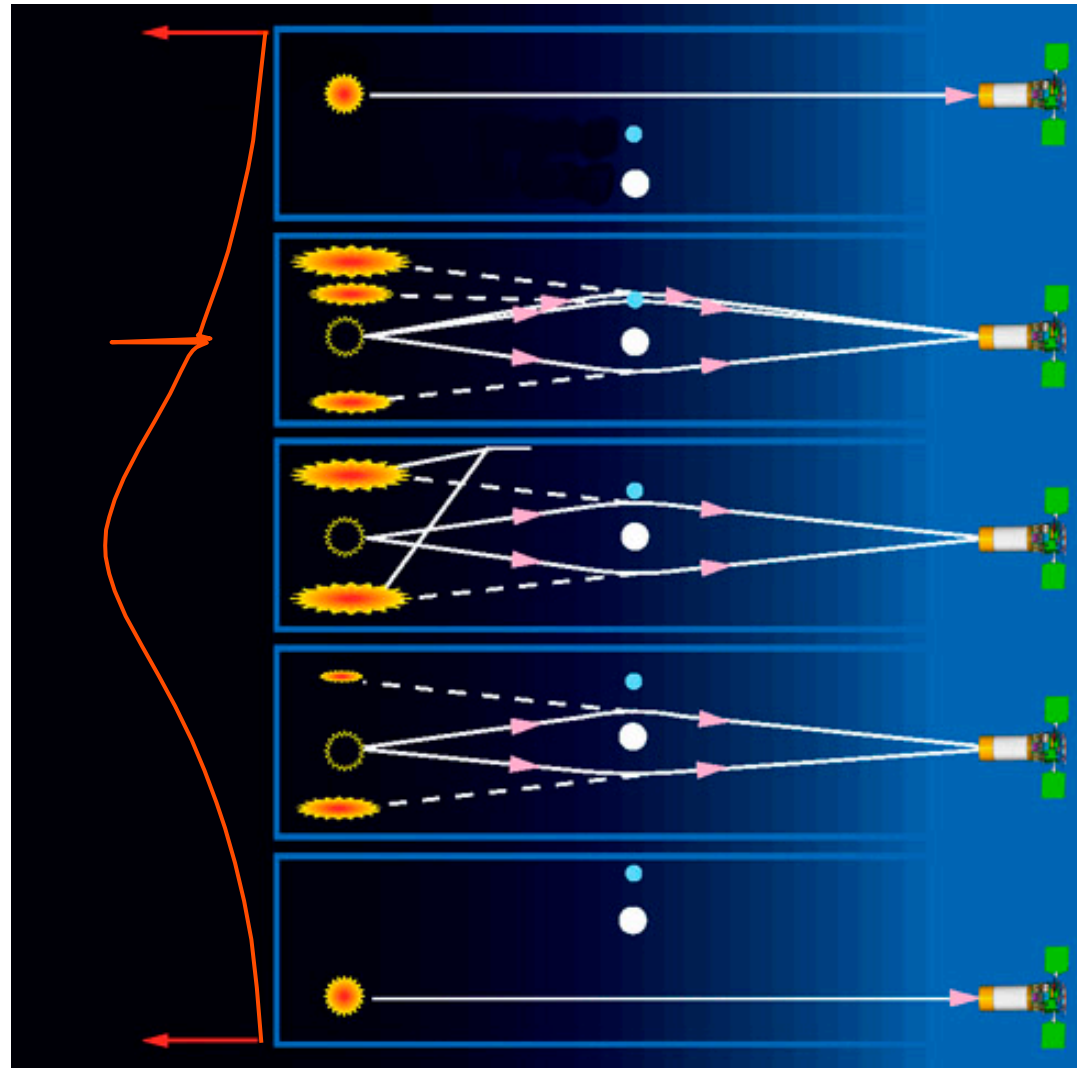


David Bennett  
University of Notre Dame

with help from  
Jay Anderson and  
Aparna Bhattacharya

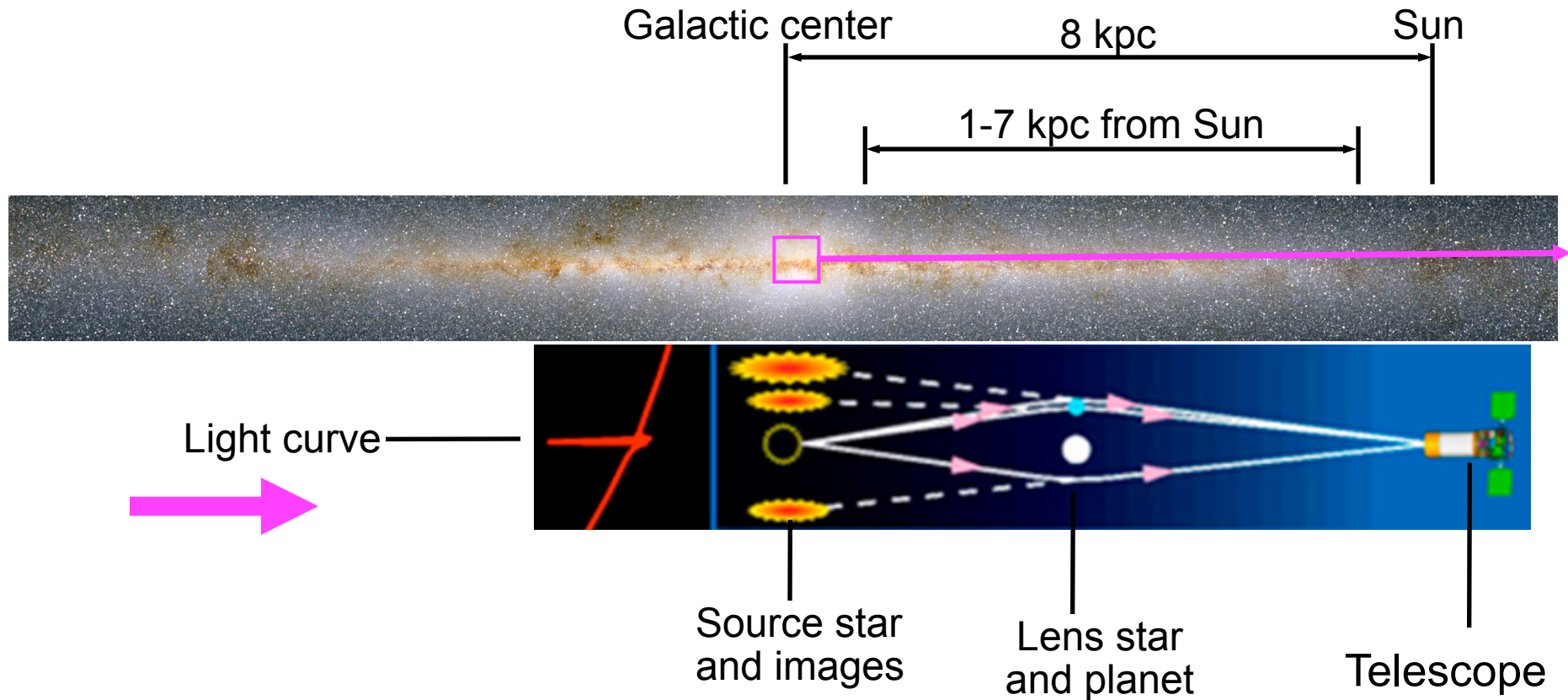
# The Physics of Microlensing

- Foreground “lens” star + planet bend light of “source” star
- Multiple distorted images
  - Only total brightness change is observable
- Sensitive to planetary mass
- Low mass planet signals are rare – not weak
- Stellar lensing probability  $\sim a \text{ few } \times 10^{-6}$ 
  - Planetary lensing probability  $\sim 0.001-1$  depending on event details
- Peak sensitivity is at 2-3 AU: the Einstein ring radius,  $R_E$



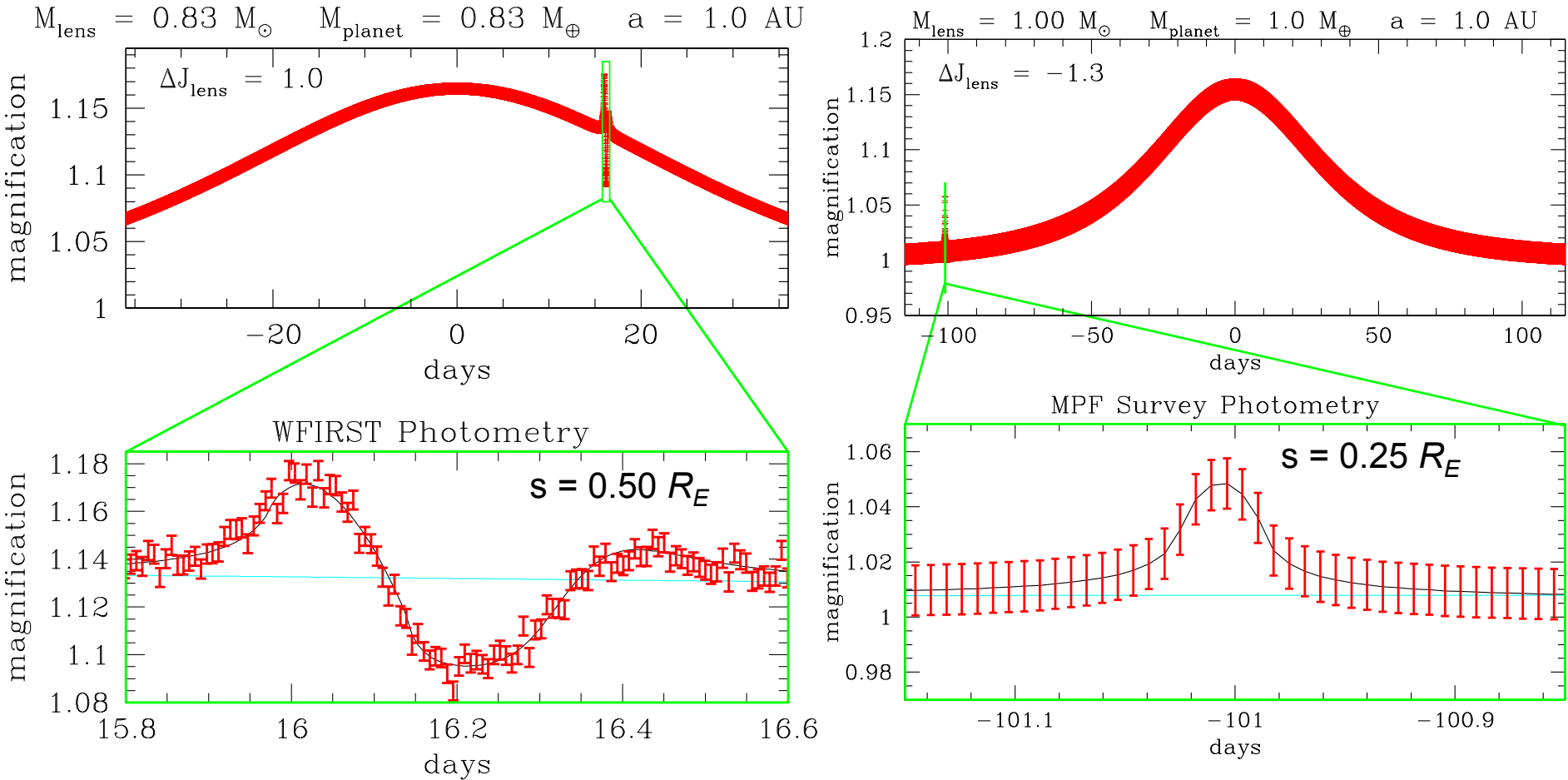
$$\text{Key Fact: } 1 \text{ AU} \approx \sqrt{R_{Sch} R_{GC}} = \sqrt{\frac{2GM}{c^2} R_{GC}}$$

# Microlensing Demands Crowded Galactic Bulge Fields



**Lensing rate / area  $\sim$  (# of source stars)  $\times$  (# of lens stars)**

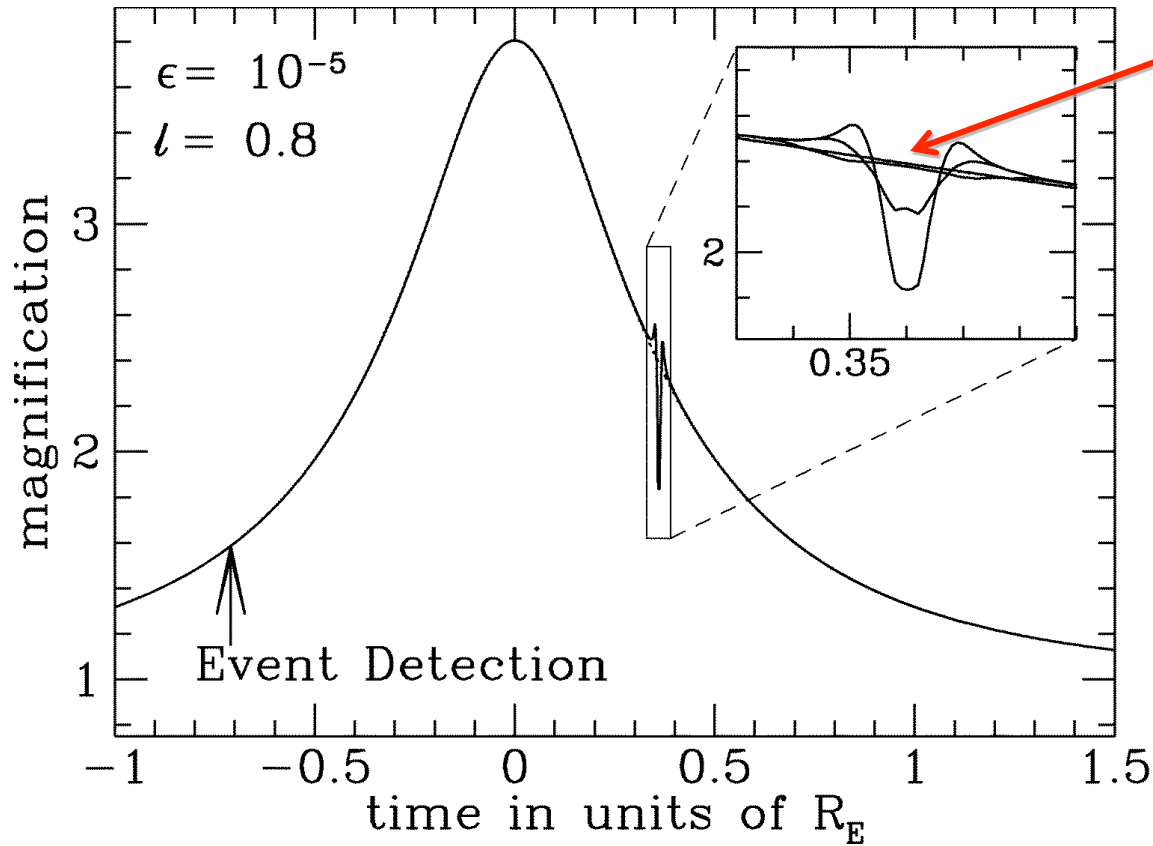
# Close (HZ) Planets Found at Low Magnification



- Faint main sequences sources needed to detecting low-mass planets
- At separations  $< R_E$ , planetary signals occur at low stellar magnification
- Matthew Penny's talk from yesterday

# How Low Can We Go?

No signal for giant sources



(Bennett & Rhie 1996)

Limited by Source Size

angular Einstein radius

$$\theta_E \approx \mu \text{as} \left( \frac{M_P}{M_\oplus} \right)^{1/2}$$



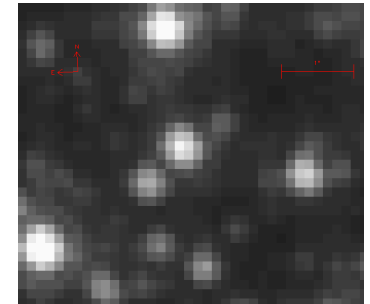
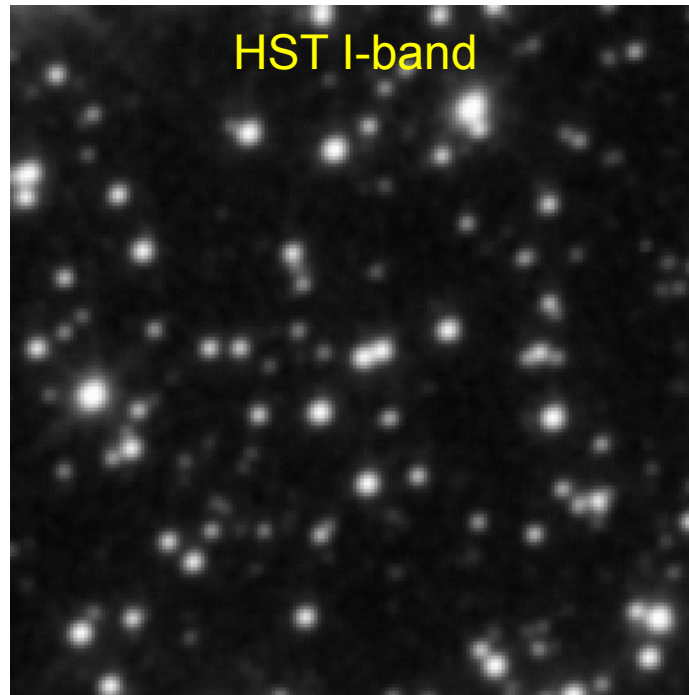
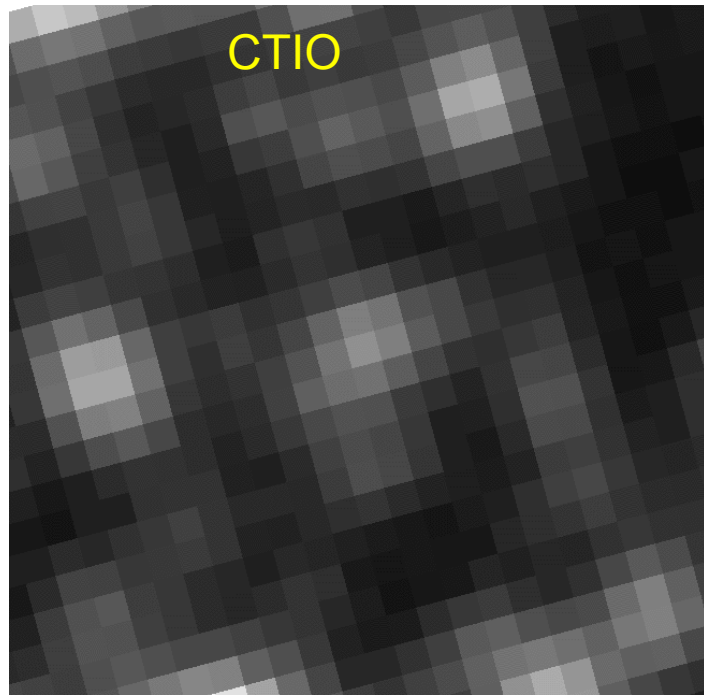
$$\theta_* \approx \mu \text{as} \left( \frac{R_*}{R_\odot} \right)$$

angular source star radius

For  $\theta_E \geq \theta_*$  :  
low-mass planet signals are rare and brief,  
but not weak

**Mars-mass planets detectable**  
**if solar-type sources can be monitored!**

# Space Imaging Resolves Source+Lens from Other Stars



- Bulge main sequence stars not resolved in seeing limited images
- WFIRST fields should be 2× more crowded
- Flatter luminosity function in the IR adds to crowding

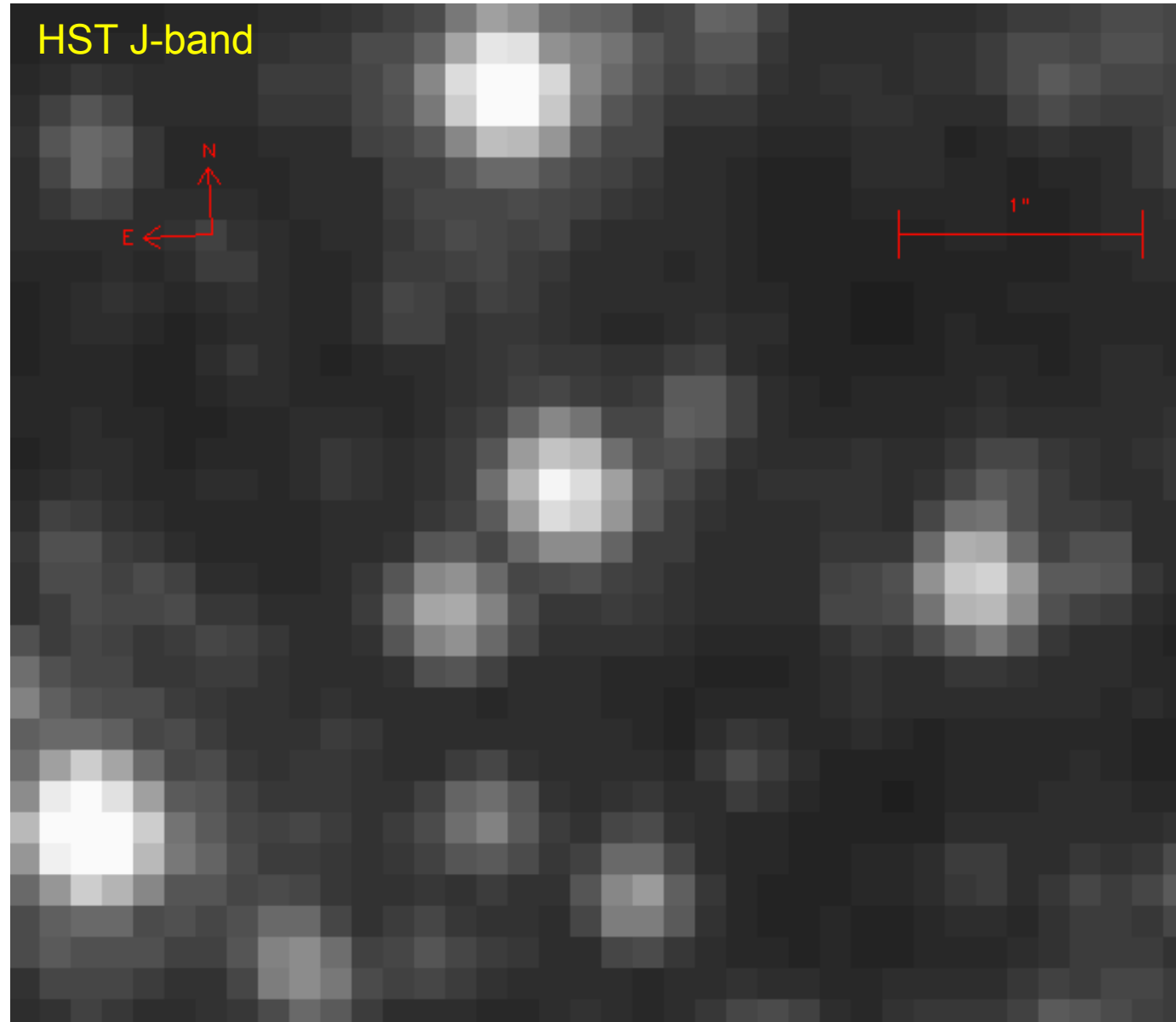
# Galactic bulge photometry in the IR

Most stars are not completely blended, but the images overlap.

High precision photometry ( $\sim 1$  mmag) needed with overlapping images

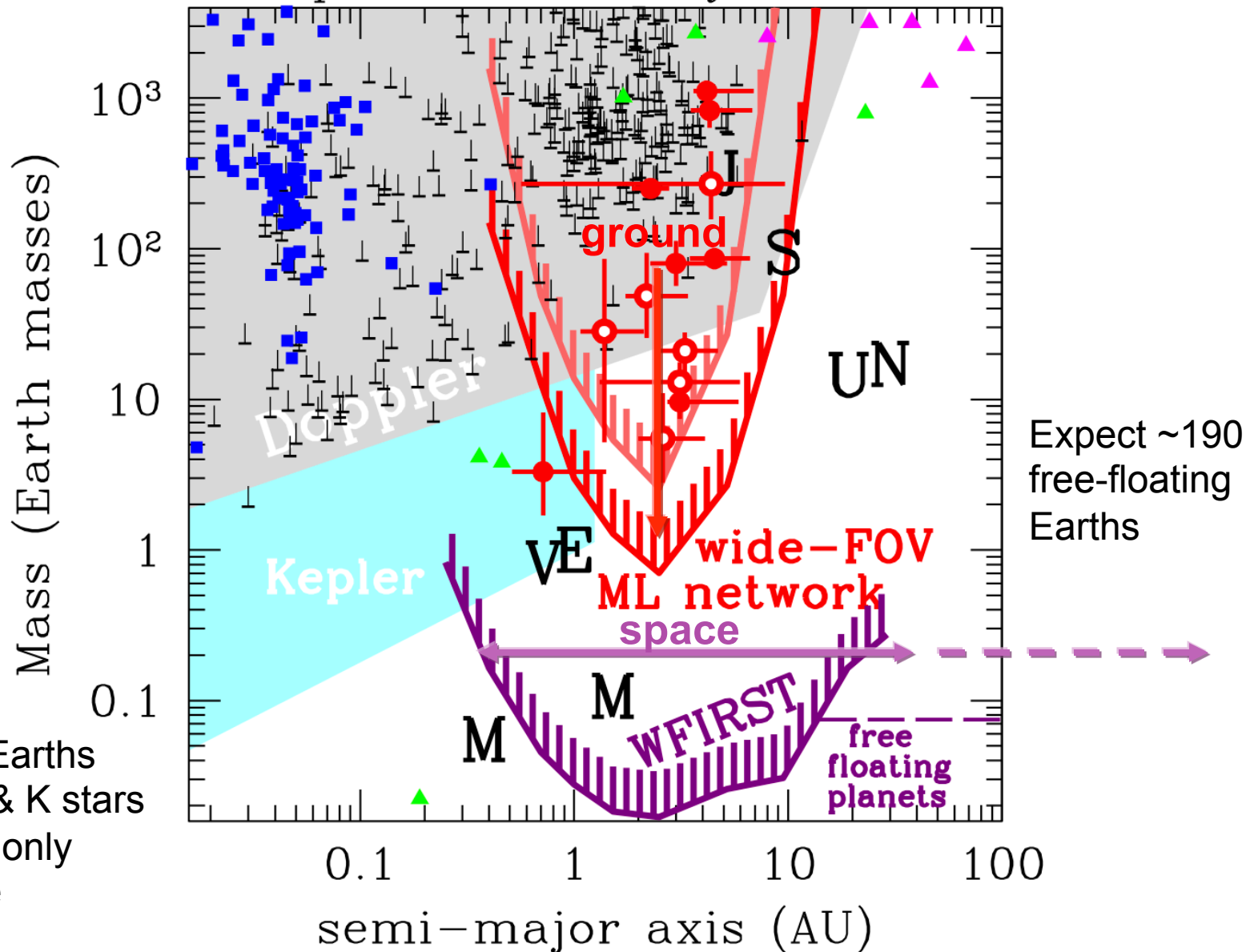
Proper motion of neighbors must be accounted for:

Precision photometry requires precision astrometry



# Space vs. Ground Sensitivity

## Exoplanet Discovery Potential





# Microlensing Survey Stars Will Not Be Isolated

- Proper motion of neighboring stars will contribute to photometry noise
- We need astrometry information for our determination of host star properties
- We want a WFIRST-AFTA exoplanet microlensing pipeline that generates
  - Photometry
  - Astrometry
  - A catalog of detector defects
- PSF-fitting photometry – similar to Jay Anderson's code for HST

# Microensing Survey Stars Will Not Be Isolated

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- We need astrometry information for our determination of host star properties
- We want a WFIRST-AFTA exoplanet microlensing pipeline that generates
  - Photometry
  - Astrometry
  - A catalog of detector defects
- Develop exoplanet microlensing photometry+astrometry pipeline pre-launch using HST/WFC3/IR data

# Crowded Field Photometry

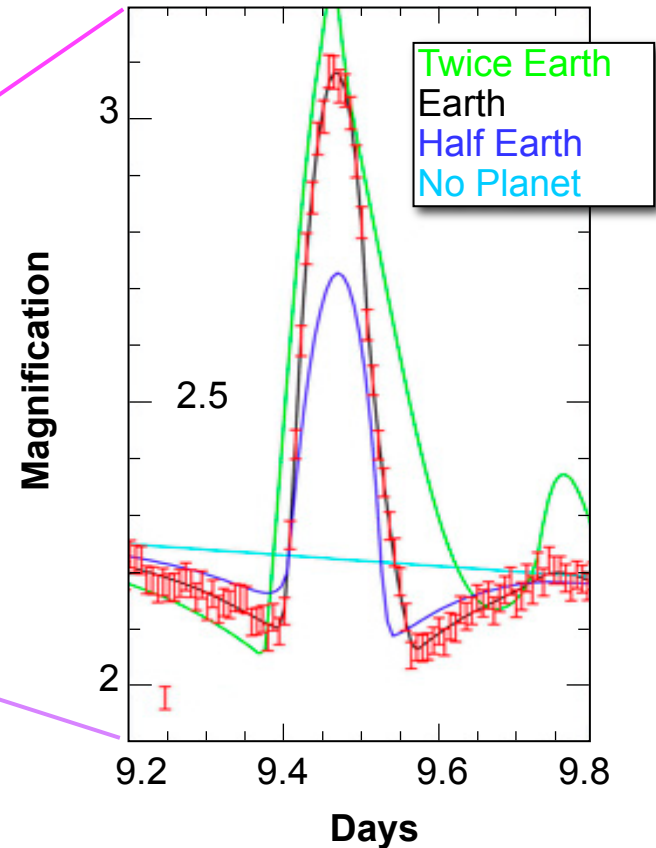
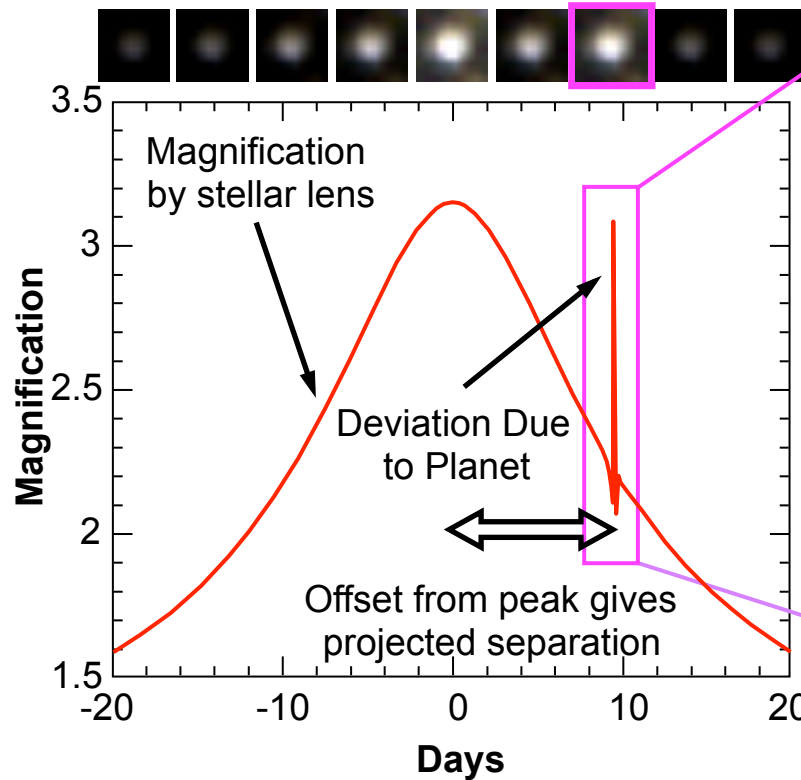
- PSF fitting photometry
  - not optimal for ground-based microlensing because we can't locate individual stars
- Difference image photometry (DIA)
  - Target star location clear from isolated signal in difference image
- WFIRST differs because
  - Very stable PSF (much better than HST)
  - Proper motion effects are large
    - Standard DIA not likely to be accurate
  - PSFs in W149 filter are color-dependent
  - Strong parallax effects between spring and fall seasons
- PSF fitting photometry is likely optimal
  - but should include proper motions, parallax and color dependent PSF
  - Jay Anderson's HST analysis code is a good starting point

# WFIRST Microlensing Pipeline

- Solve for photometry, color, and astrometry (proper motion and parallax) of each star
  - Also, search for “new” stars
- Solve for detector effects, and their change in time
  - detector radiation effects
  - temperature effects
  - changing hot pixels
  - PSF shape changes
- What calibration data are needed by other programs?
- Microlensing pipeline can likely be used for a calibration field in the LMC, which is observable at anytime

# Extraction of Exoplanet Parameters: Part 1

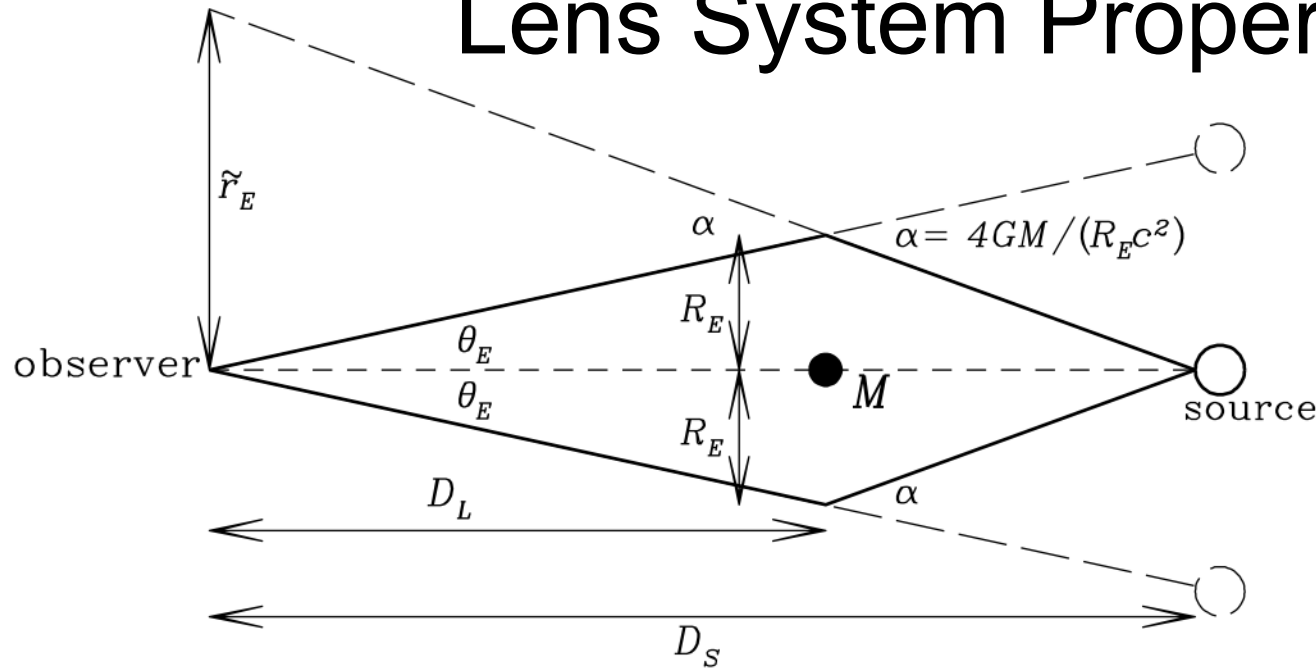
Time-series photometry is combined to uncover light curves of background source stars being lensed by foreground stars in the disk and bulge.



Planets are revealed as short-duration deviations from the smooth, symmetric magnification of the source due to the primary star.

Detailed fitting to the photometry yields the parameters of the detected planets.

# Lens System Properties



- Einstein radius :  $\theta_E = \theta_* t_E / t_*$  and projected Einstein radius,  $\tilde{r}_E$ 
  - $\theta_*$  = the angular radius of the star
  - $\tilde{r}_E$  from the microlensing parallax effect (due to Earth's orbital motion).

$$R_E = \theta_E D_L, \text{ so } \alpha = \frac{\tilde{r}_E}{D_L} = \frac{4GM}{c^2 \theta_E D_L}. \text{ Hence } M = \frac{c^2}{4G} \theta_E \tilde{r}_E$$

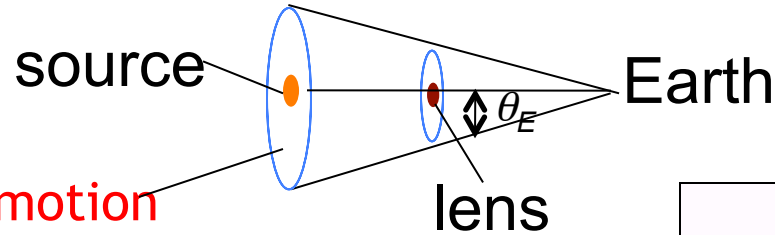
# Part 2: Finite Source Effects & Microlensing Parallax Yield Lens System Mass

- Finite source effect  
or lens-source proper motion

Angular Einstein radius  $\theta_E = \theta_* t_E / t_*$

$\theta_*$  = source star angular radius

$D_L$  and  $D_S$  are the lens and source distances



$$M_L = \frac{c^2}{4G} \theta_E^2 \frac{D_S D_L}{D_S - D_L}$$

- Microlensing Parallax

(Effect of Earth's orbital motion)

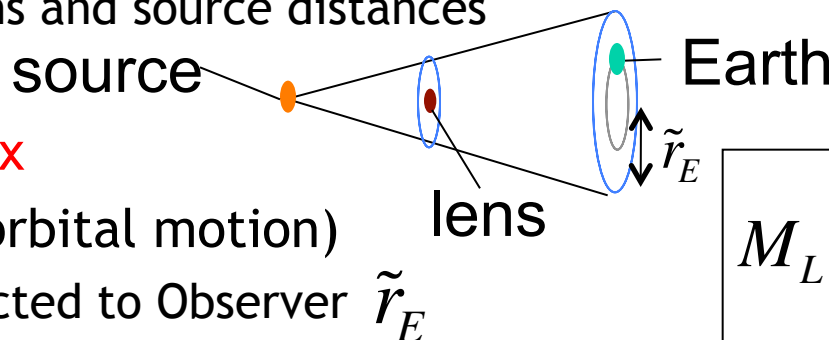
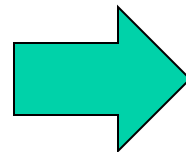
Einstein radius projected to Observer  $\tilde{r}_E$

OR

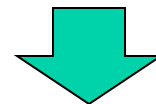
- One of above +

Lens brightness & color (AO, HST)

mass-distance relation  $\rightarrow D_L$

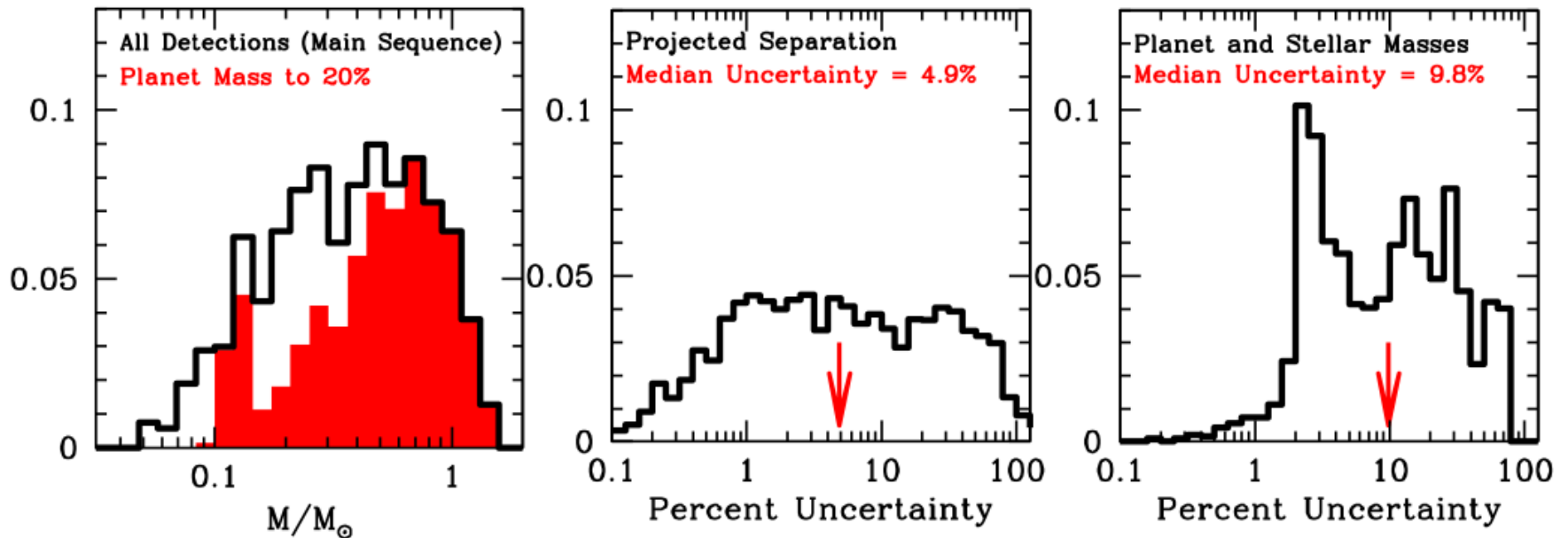


$$M_L = \frac{c^2}{4G} \tilde{r}_E^2 \frac{D_S - D_L}{D_S D_L}$$



$$M_L = \frac{c^2}{4G} \tilde{r}_E \theta_E$$

# Lens Detection Provides Complete Lens Solution



- The observed brightness of the lens can be combined with a mass-luminosity relation, plus the mass-distance relation that comes from the  $\mu_{\text{rel}}$  measurement, to yield a complete lens solution.
- The resulting uncertainties in the absolute planet and star masses and projected separation are shown above.
- Multiple methods to determine  $\mu_{\text{rel}}$  and masses (such as lens star color and microlensing parallax) imply that complications like source star binarity are not a problem.



# Lens-Source Proper Motion is Needed

- Formally, we can get the lens mass with finite source radius,  $t_*$ , and lens brightness (say, combined flux – source flux from model), **BUT**
- The source may have a binary companion, or a unrelated star may be blended with the source
  - Lens-source proper motion verifies the lens star ID
  - Multi-color observations exclude companion to the lens
- Microlensing Parallax measurements are often 1-dimensional
  - But, the parallax vector is parallel to  $\boldsymbol{\mu}_{\text{rel}}$ , so a relative proper motion measurement sharpens a microlensing parallax measurement

# Finite Source Effects & Microlensing Parallax Yield Lens System Mass

- If only  $\theta_E$  or  $\tilde{r}_E$  is measured, then we have a mass-distance relation.
- Such a relation can be solved if we detect the lens star and use a mass-luminosity relation
  - This requires HST or ground-based adaptive optics
- With  $\theta_E$ ,  $\tilde{r}_E$ , and lens star brightness, we have more constraints than parameters

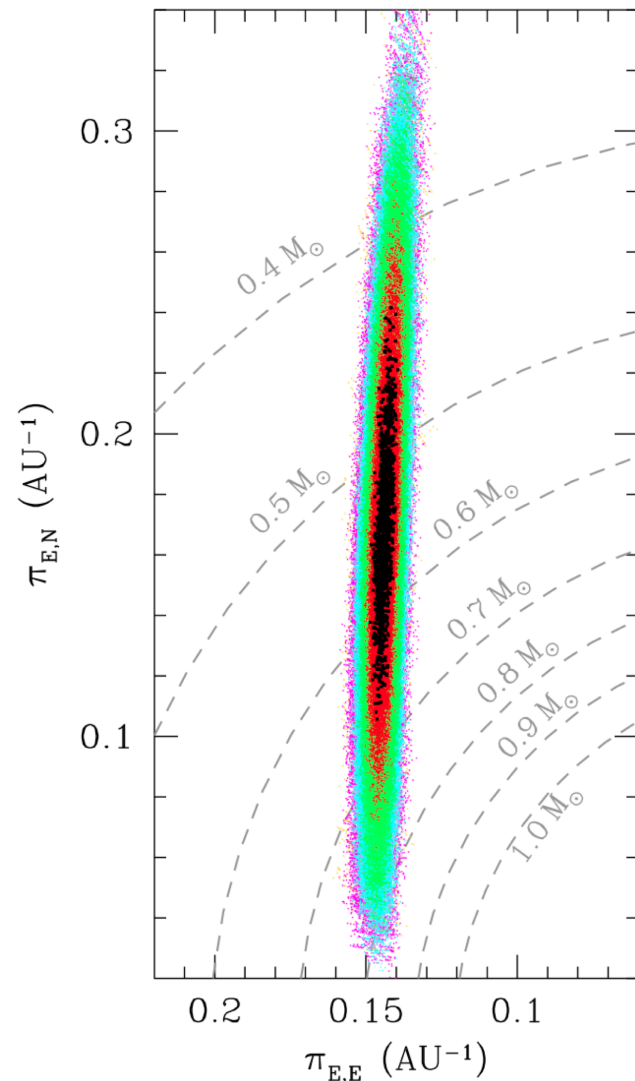
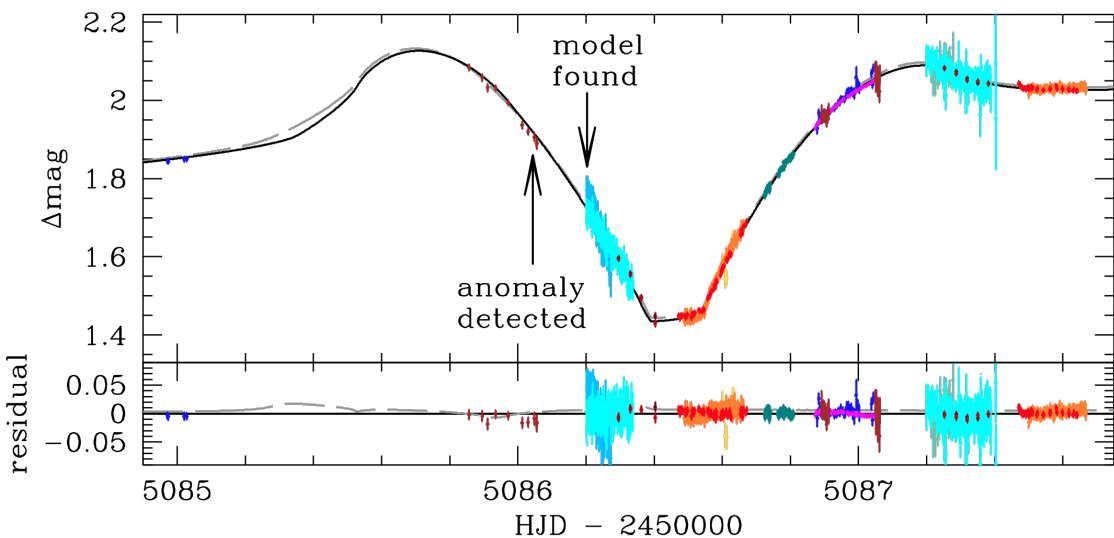
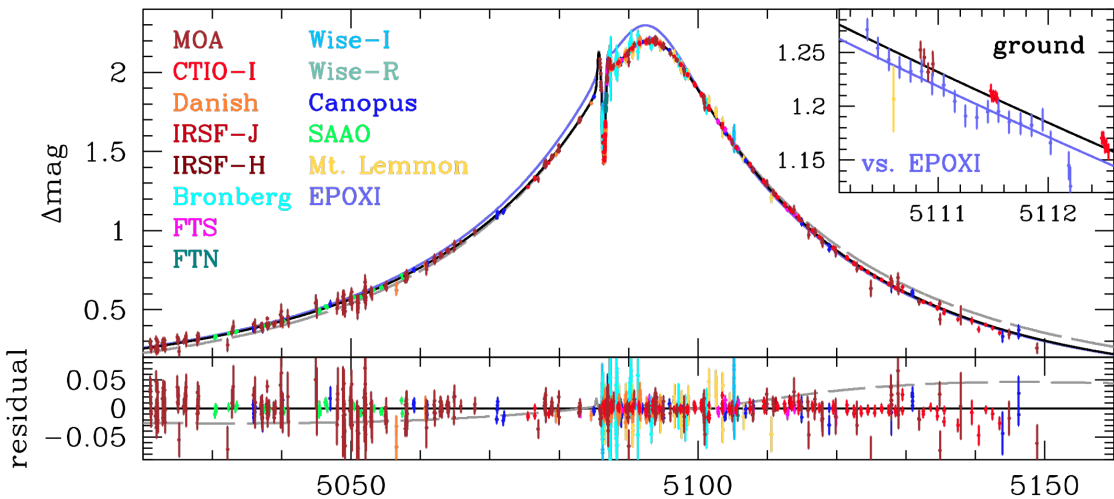
mass-distance relations:

$$M_L = \frac{c^2}{4G} \theta_E^2 \frac{D_S D_L}{D_S - D_L}$$

$$M_L = \frac{c^2}{4G} \tilde{r}_E^2 \frac{D_S - D_L}{D_S D_L}$$

$$M_L = \frac{c^2}{4G} \tilde{r}_E \theta_E$$

# MOA-2009-BLG-266 Orbital Parallax



$$m_p = 10.4 \pm 1.7 M_{\oplus} \quad M_* = 0.56 \pm 0.09 M_{\odot}$$

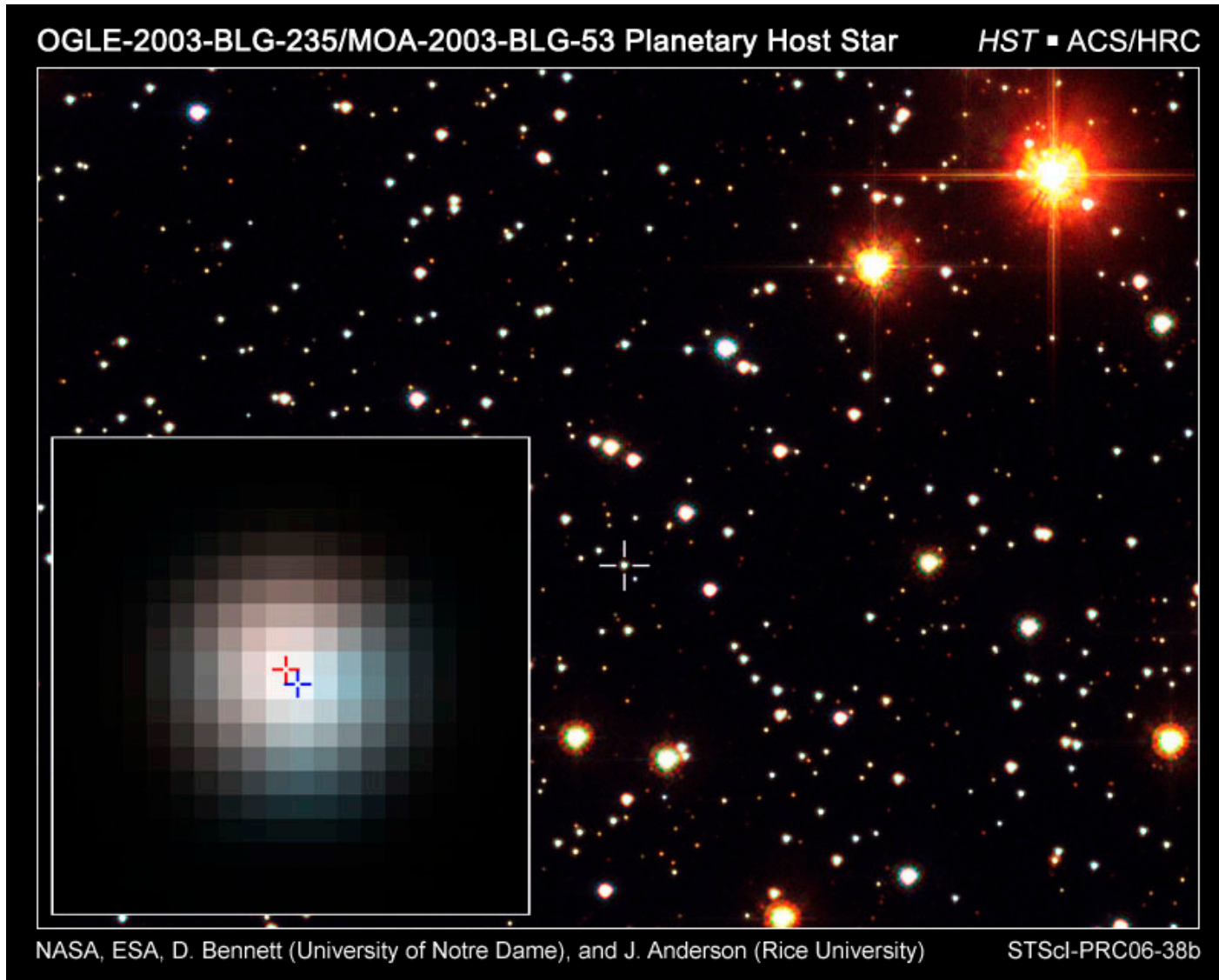
$$a = 3.2_{-1.5}^{+1.9} \text{ AU} \quad D_L = 3.0 \pm 0.3 \text{ kpc}$$

The bulge is near the ecliptic plane so parallax uncertainty is asymmetric

# Lens-Source Relative Proper Motion

- Lens and source are not resolved at the time of the microlensing event
- 2 methods to measure  $\mu_{\text{rel}}$ :
  - Color Dependent Centroid shift
    - If lens and source have different colors, the centroid of the blended image will depend on the color
    - Precision scales as  $t$
  - Image Elongation:
    - Blended image will be elongated in the  $\mu_{\text{rel}}$  direction
    - works if lens and source have the same color
    - Precision scales as  $t^2$
  - In practice, fit for lens and source location with constraints from light curve model

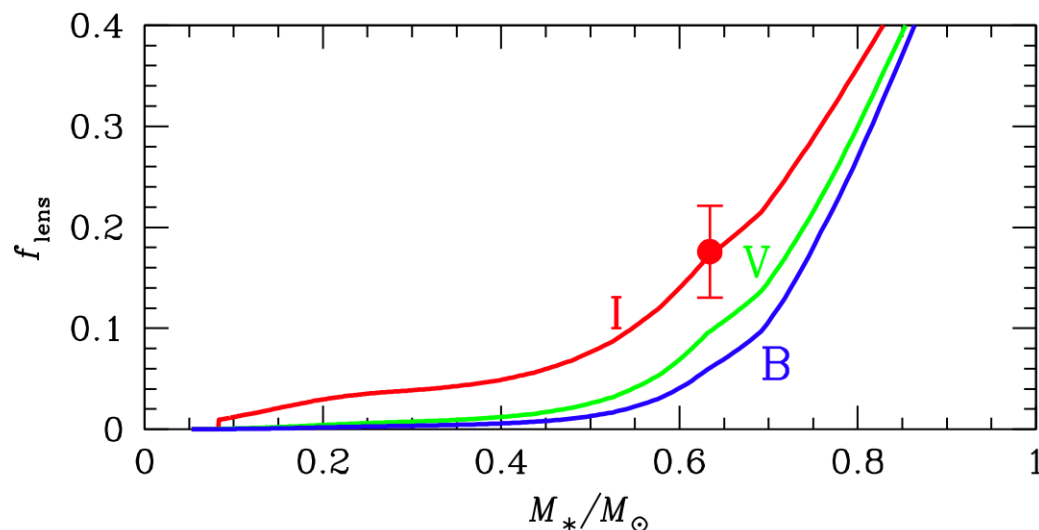
# Color Dependent Image Center Shift



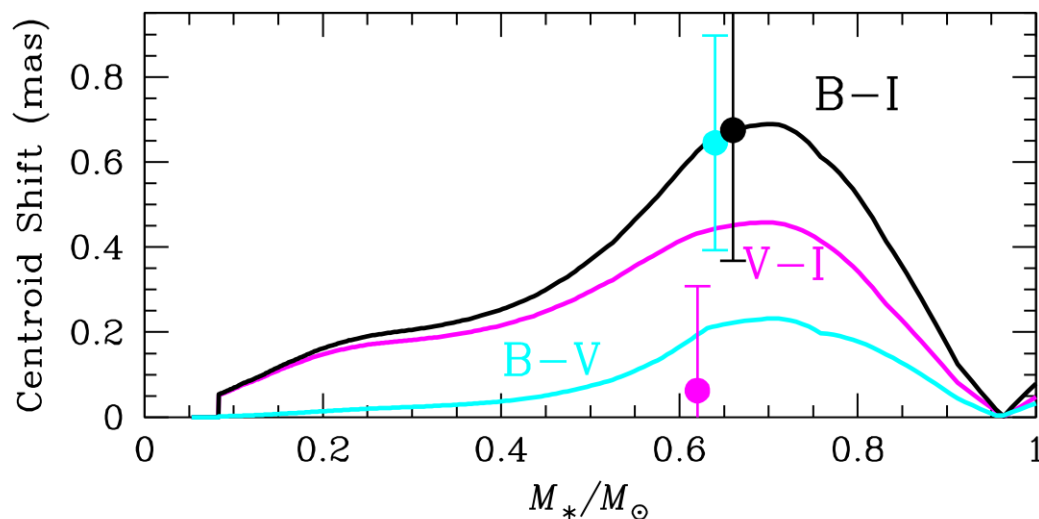
Source & Planetary Host stars usually have different colors, so lens-source separation is revealed by different centroids in different passbands

# HST Observation Predictions for OGLE-2003-BLG-235L/MOA-2003-BLG-53L

Fraction of total flux due to lens star.



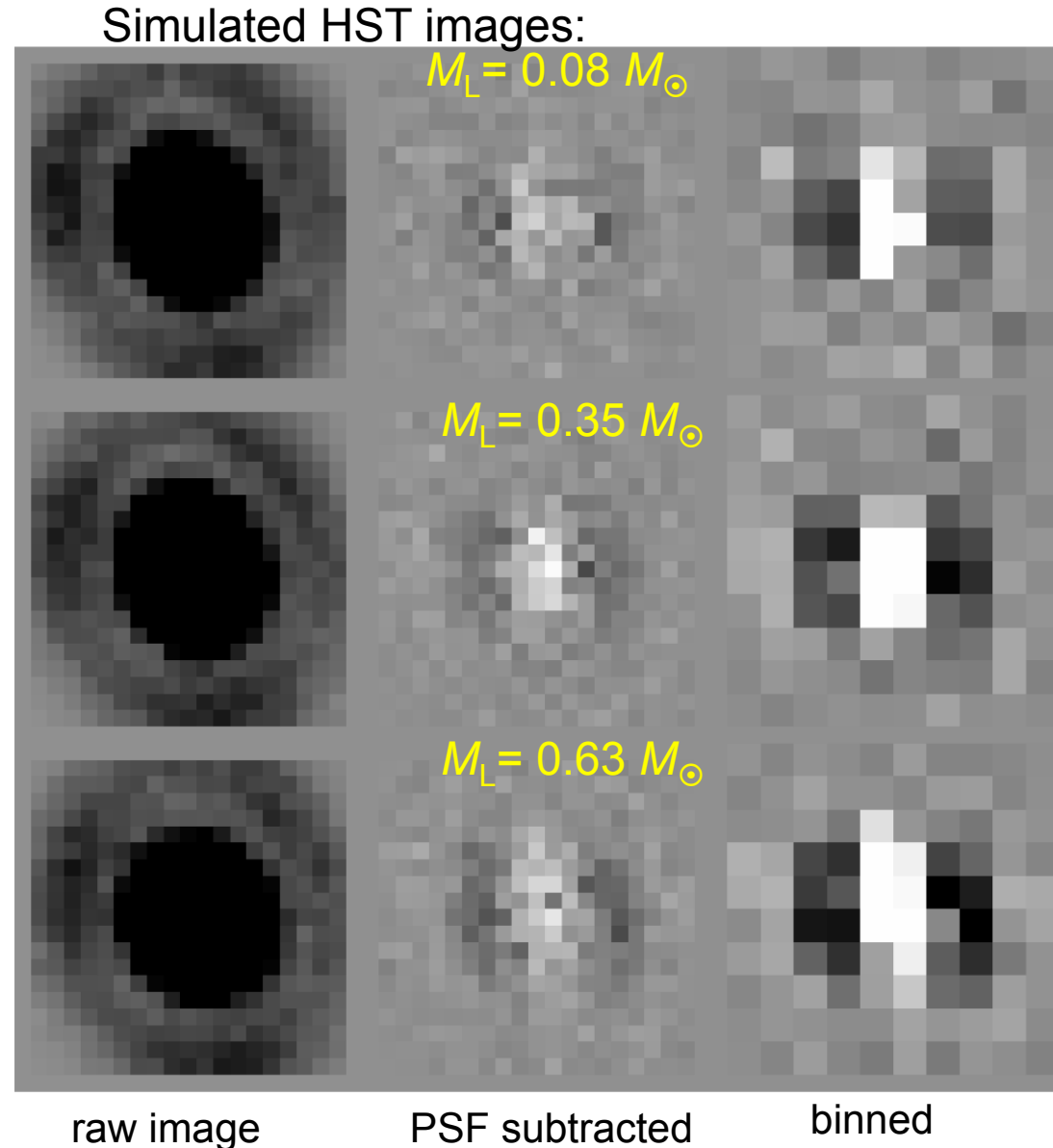
Centroid Shift between HST-ACS/HRC passbands for follow-up images. (Units are 25 mas pixels.)



Relative proper motion  $\mu_{\text{rel}} = 3.3 \pm 0.4$  mas/yr from light curve analysis ( $\mu_{\text{rel}} = \theta_*/t_*$ )

# Predicted Image Elongation

- Lens-source proper motion gives  $\theta_E = \mu_{\text{rel}} t_E$
- $\mu_{\text{rel}} = 8.4 \pm 1.7$  mas/yr for OGLE-2005-BLG-169
- Simulated HST ACS/HRC F814W (*I*-band) single orbit image “stacks” taken 2.4 years after peak magnification
  - 2× native resolution
  - also detectable with HST WFPC2/PC & NICMOS/NIC1
- Stable HST PSF allows clear detection of PSF elongation signal
- A main sequence lens of any mass is easily detected (for this event)



# First Confirmation of a Planetary Microlensing Signal

- $\mu_{\text{rel}}$  measured by HST (and Keck)
- Image elongation

See talk by Aparna Bhattacharya (next!)